# SAS<sup>®</sup> GLOBAL FORUM 2021

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# Opening the door to next generation data mining & machine learning – Python & SAS together at last!

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# ABSTRACT

Have you developed Python models to solve a business problem and wish to leverage that asset into a next generation analytical framework?

Learn how to create a bridge between open source, using Python, and a state-of-the-art data mining & machine learning environment, using SAS® VDMML, which is automated, dynamic, and scalable – right at your fingertips. Compete and compare next generation algorithms to select a champion seamlessly.

The business problem will be within the transportation shipping industry. A variety of data elements such as internal factors of package size, delivery day of the week, # transit days; external factors of weather and financial effects will also be used. The ultimate business question – What is the best subset of factors that drive cost? What is the optimal model to use to score a new prospect file with the predicted average cost?

Discover how Python and SAS® VDMML can work together to answer these critical questions for the shipping company!

## **INTRODUCTION**

The world has been severely impacted by COVID-19. As a result, many organizations are facing unprecedented challenges. Specifically, the transportation shipping industry, needs to qualify the factors causing fluctuations of its shipping cost across their networks. Given the possible complexity of various networks, the desire to have a comprehensive data mining & machine learning platform has become mission critical. Due to the numerous possible causal factors within the industry, ensuring the "best" algorithm is utilized to determine the most important factors driving costs is at the forefront of the organization's needs.

Why is this so important? The transportation company ultimately desires to be profitable across all their customers. Therefore, establishing the most important causal factors driving shipping cost enables the company to better price the various package shipments across the network for the customers. This creates actionable business results optimizing profitability among customers.

## **AVAILABLE DATA**

A variety of factors (external and internal) are available for the analysis. Figure 1 illustrates the different attributes. First, approximately 145K unique package shipments were utilized in the model development. External factors pertaining to financial information such as CPI and Unemployment Rate were used. In addition, external factors related to weather such as average rainfall and temperature were used. Internal factors pertaining package, customer, and route information were also utilized.



Figure 1. Available Data

Below is a sample of the raw data used in the analysis.

	Shipment	Delivery	Delivery	Delivery	Day Of						
1	_ID	Date	Month	Week_No	Week	Weekend	Sales_Segment	Shipper_Name	Product	Sub_Product	Items
2	10523	1/2/2010	1	0	7_Saturd	0	Small/Medium Business	Scandinavian Clothing A	Next Day Air	Expedited Shipment	40
3	46447	1/2/2010	1	0	7_Saturd	0	Small/Medium Business	Force Sports	Ground Commercial	Residential Pick Up/Delivery	30
4	71554	1/2/2010	1	0	7_Saturd	0	Small/Medium Business	Harry Penny Ltd	Surepost	None	11
5	77121	1/2/2010	1	0	7_Saturd	0	Enterprise Accounts	Eclipse Inc	Ground Commercial	Notifications	9
6	10612	1/2/2010	1	0	7_Saturd	0	Small/Medium Business	Roll-Over Inc	Next Day Air	Expedited Shipment	10
7	63629	1/2/2010	1	0	7_Saturd	0	Small/Medium Business	Magnifico Sports	Surepost	Notifications	10
8	83256	1/2/2010	1	0	7_Saturd	0	Amazon	3Top Sports	Ground Commercial	None	8
9	82534	1/2/2010	1	0	7_Saturd	0	Enterprise Accounts	Eclipse Inc	Next Day Air	Expedited Shipment	20
10	69463	1/2/2010	1	0	7_Saturd	0	Amazon	3Top Sports	Ground Residential	Limited Access	11
11	35415	1/2/2010	1	0	7_Saturd	0	Enterprise Accounts	Eclipse Inc	3 Day Select	Notifications	11
12	51530	1/2/2010	1	0	7_Saturd	0	Small/Medium Business	Norsok A/S	Ground Residential	Notifications	20
13	82260	1/2/2010	1	0	7_Saturd	0	Small/Medium Business	Pro Sportswear Inc	Ground Commercial	None	7
14	89064	1/2/2010	1	0	7_Saturd	0	Enterprise Accounts	Eclipse Inc	Ground Residential	None	9
15	81326	1/2/2010	1	0	7_Saturd	0	Small/Medium Business	CrystalClear Optics Inc	Hundredweight (CWT)	Notifications	44

Figure 2A. Sample Data

Average	Delivery	Shinning								Haliday					Average	Auge:200	Average
Average	Delivery_	Snipping_	Fuel Evenence	BCDB	CDI	CDEOO				Foliday_	- ,		City	مامنيفناه	Average_	Average_	Average_
_volume	Days	Expense	ruei_cxpense	RGDP	CPI	37300	UNKATE	OILWII	OIL_INDEX	Surge	3	blate	City	Annuae	remp	Showrall	Kain
21.3	1	\$300.01	\$23.96	14605	217	1124	9.8	\$78.34	0.86	0	0 0	California	Sacramento	28	60.72	0.00	21.17
63.5	0	\$40.88	\$3.04	14605	217	1124	9.8	\$78.34	0.86	0	0 F	lorida	Lake Worth	15	73.32	0.00	59.52
30.7	0	\$44.76	\$3.25	14605	217	1124	9.8	\$78.34	0.86	0	0 0	California	Visalia	321	63.23	0.10	10.93
10.4	0	\$59.06	\$3.68	14605	217	1124	9.8	\$78.34	0.86	0	0 11	llinois	Kenilworth	572	47.33	34.30	34.89
13.9	1	\$177.43	\$12.46	14605	217	1124	9.8	\$78.34	0.86	0	σт	Texas	Dallas	520	64.73	0.10	38.46
1.7	0	\$161.48	\$7.03	14605	217	1124	9.8	\$78.34	0.86	0	0 0	California	Fontana	1,178	65.30	0.10	12.44
5.3	0	\$18.57	\$1.37	14605	217	1124	9.8	\$78.34	0.86	0	0 L	ouisiana	Mandeville	30	67.63	0.20	62.89
92.0	1	\$184.58	\$12.70	14605	217	1124	9.8	\$78.34	0.86	0	0 L	ouisiana	Metairie	0	67.63	0.20	62.89
4.5	0	\$25.91	\$1.83	14605	217	1124	9.8	\$78.34	0.86	0	O N	Missouri	Pevely	529	55.98	11.50	43.18
10.2	3	\$28.03	\$1.95	14605	217	1124	9.8	\$78.34	0.86	0	0 0	Georgia	Atlanta	956	58.61	1.90	50.68
11.4	0	\$33.86	\$2.74	14605	217	1124	9.8	\$78.34	0.86	0	0 1	North Carolina	Cherryville	944	60.40	0.90	42.97
3.0	0	\$24.14	\$1.56	14605	217	1124	9.8	\$78.34	0.86	0	D N	Michigan	Grosse Pointe	611	47.78	31.40	32.80
1.4	0	\$20.89	\$1.45	14605	217	1124	9.8	\$78.34	0.86	0	D N	Missouri	Pevely	529	55.98	11.50	43.18
165.1	0	\$138.70	\$13.32	14605	217	1124	9.8	\$78.34	0.86	0	0 0	California	Lake Forest	362	62.53	0.00	14.45

#### Figure 2B. Sample Data

## **OPEN-SOURCE CONNECTION – INSTALL & CONFIGURE PYTHON 2.7.X OR 3.4+**

There are steps required for installing and configuring the Python version utilized. First, Python should be installed in the Compute server of the SAS Viya environment. Next, the executable file must be available in the system path in the SAS Compute server. The system path is in "**opt/sas/viya/config/etc/sysconfig/compsrv/default/sascompsrv**" on compute server. To connect to python from SAS VDMML, the environment variable needs to be set as "**export PATH=path\_to\_your\_python\_bin\_directory:\${PATH}**" in the sas-compsrv file. The final step is to provide **sudo** privileges to the python packages so that other users can access all the Python libraries/packages.

The following is a snippet of sas-compsrv file with Python path variable.



Figure 3. sas-compsrv file

## **DEVELOP PYTHON MODELS VIA JUPYTER NOTEBOOK**

Python is one of the leading open-source programming languages. Integrating Python with a state-of-the-art data mining & machine learning environment – SAS® VDMML will help solve the business problem stated earlier. First, let us discuss the native Python models in the Jupiter notebook.

Scikit-learn (Sklearn) is a very popular library for machine learning techniques in Python. Sklearn has many useful machine learning models and efficient statistical methods. In this paper, we will be using this library for different analysis in native Python and then integrate models within SAS. There are many features of the Sklearn library, including Clustering, Ensemble Methods, Supervised Models, Cross-Validation (estimation of the accuracy of supervised models on new data), etc....

In this section, we are going to cover 4 different supervised models in native Python.

- Linear Regression with Elastic Net
- Neural Network using Multi-layer Perceptron (MLP)
- Decision Tree
- Random Forest

#### Linear Regression with Elastic Net

For linear regression, we are using the Elastic Net regularized regression method which combines L1 and L2 penalties. You can control these penalties separately also.

Parameter name	Description
Alpha	Constant that multiplies the penalty terms. Default value is 1.0.
L1_Ratio	This ratio defines how L1 and L2 parameter applied. Default value is 0.5. For l1_ratio = 0 the penalty is an L2 penalty. For l1_ratio = 1 it is an L1 penalty. For 0 < l1_ratio < 1, the penalty is a combination of L1 and L2.
Fit_Intercept	Default value is True means Data is not centered.
Normalize	Default value is True which means regressors X will be normalized before regression by subtracting the mean and dividing by the I2-norm.
Warm_Start	Default value is True. When set to True, reuse the solution of the previous call to fit as initialization, otherwise, just erase the previous solution
Selection	Default value is 'cycle'. If set to 'random', a random coefficient is updated every iteration rather than looping over features sequentially by default.

The following table illustrates the basic parameters for the Elastic Net regression method.

#### Table 1. Basic parameters for Linear Regression with Elastic Net

Before we start building the model, there are always data preparation steps required which includes cleaning the data, removing unwanted variables, removing variables that show multicollinearity, encoding categorical string values to numeric value, etc...

#### Figure 4. Python Overall Data Preparation

Now the data is ready for the supervised models. We build the Linear Regression model penalized with Elastic Net (L1: 50% and L2: 50%) in Jupiter notebook. When predicting the value, the validation dataset will be used. The validation data set is created in the data preparation step. Model comparison will happen based on the Root Mean Square Error (RMSE). The model with the smallest RMSE will be deemed the champion.

```
#Parameters for the Linear Regression Model using ElasticNet. L1_ratio 0.5 means L1=50 and L2=50.
#All other parameters will have default values.
params_lr={'l1_ratio':0.5}
#Build the Linear regreassion model with Elastic Net
from sklearn.linear_model import ElasticNet
model_lr=ElasticNet(**params_lr)
model_lr.fit(x_train,y_train)
#Prediction on the validation data
pred_train_enet=model_lr.predict(x_val)
#Calculate the Mean Squared Error and display the Root Mean Squared Error value
mse=mean_squared_error(y_val,pred_train_enet)
print("Root Mean Squared Error = {}".format(math.sqrt(mse)))
Root Mean Squared Error = 19.85975150253088
```

#### Figure 5. Python Linear Regression Model using Elastic Net

#### Neural Network using Multi-layer Perceptron (MLP)

After we build one of the simple supervised models, i.e., linear regression, we are now ready to build a series of linear regression iterations, which is called a neural network model. A Multi-layer Perceptron (MLP) regressor is used for the neural network Model. Advantages of using MPL regressors are the following:

- Capability to learn non-linear models
- Capability to learn models in real-time (on-line learning).
- Supports multi output regression so that the sample can have more than one target.

MLP has different layers:

- Input Layer Input variables or visible layer
- Hidden Layers Layers of different nodes between input layer and output layer.
- Output Layers This Layer represents the output variables

Parameter Name	Description			
Hidden_Layer_Sizes	Default value is (100,). The ith element represents the number of neurons in the ith hidden layer.			
Activation	<ul> <li>Default value is 'relu'. Activation function for the hidden layer.</li> <li>'identity', no-op activation, useful to implement linear bottleneck, returns f(x) = x</li> <li>'logistic', the logistic sigmoid function, returns f(x) = 1 / (1 + exp(-x)).</li> <li>'tanh', the hyperbolic tan function, returns f(x) = tanh(x).</li> <li>'relu', the rectified linear unit function, returns f(x) = max(0, x)</li> </ul>			
Solver	<ul> <li>Default value is 'adam'. This value used for weight optimization. Default value works very well on large datasets in terms of training time and validation score.</li> <li>'lbfgs' is an optimizer in the family of quasi-Newton methods.</li> <li>'sgd' refers to stochastic gradient descent.</li> <li>'adam' refers to a stochastic gradient-based optimizer</li> </ul>			
Alpha	Default value is 0.0001. L2 penalty parameter.			
Max_Iter	Default value is 200. Maximum number of iterations. The solver iterates until convergence (determined by 'tol') or this number of iterations. For stochastic solvers ('sgd', 'adam'), note that this determines the number of epochs (how many times each data point will be used), not the number of gradient steps.			

The following table illustrates the basic parameters for the Neural Network MLP algorithm.

#### Table 2. Basic parameters for Neural Network with MLP

For the MLP regressor parameters, 3 hidden layers are modelled here, with 30 neurons in each layer. Therefore, there are total of 5 layers including the input and output layers. We are using the **'lbfgs'** optimizer which works best when you have limited memory. It stores only the last few updates to save memory. In addition, activation is **'relu'** (rectified linear activation function) which uses a linear function for output but in fact, a non-linear function allows complex modelling in the hidden layers. With this activation, it is easier to train the model and achieve better performance. Also, maximum iteration is 500 for this model to run until it converges.

```
#Parameters for the Neural Network Model with MLP regressor
params = {'hidden_layer_sizes': (30,30,30), 'activation': 'relu', 'solver': 'lbfgs', 'max_iter': 500}
#Build the MLP regressor model
from sklearn.neural_network import MLPRegressor
model_lr = MLPRegressor(**params)
model_lr.fit(x_train,y_train)
#Prediction on the validation data
pred_train_enet=model_lr.predict(x_val)
#Calculate the Mean Squared Error and display the Root Mean Squared Error value
mse=mean_squared_error(y_val,pred_train_enet)
print("Root Mean Squared Error = {}".format(math.sqrt(mse)))
Root Mean Squared Error = 21.57568790004138
```

Figure 6. Python Neural Network model using MLP

# **Decision Tree**

The decision tree algorithm is one of the most popular models in supervised learning, because it is very easy to explain. The decision tree algorithm uses if-else conditions and splits the data into multiple segments. The algorithm selects the optimal number of splits. The goal of the algorithm is to ask questions on the data while narrowing the possible values within each split until the model achieves confidence to make a prediction.

Parameter Name	Description
Criterion	The function to measure the quality of split. Possible options are – • 'mse', - mean squared error • 'friedman_mse' – mean squared error with
	<ul> <li>Friedman's improvement score for potential splits</li> <li>'mae' – mean absolute error.</li> <li>'Poisson' – uses reduction in Poisson deviance to find splits.</li> </ul>
Splitter	The strategy uses to choose the split at each node in the

The following table illustrates a sample of the basic parameters for the Decision Tree algorithm used.

	tree. Default option is 'best'. Options are 'best' and 'random'.		
Max_Depth	The maximum depth of the tree.		
Max_Features	The number of features to consider when looking for the best split.		

#### Table 3. Basic parameters for the Decision Tree algorithm

In the Decision Tree model, we have considered the **'friedman\_mse'** function as the criterion to split the data. Also, the splitter = **'best'** option is used so that the algorithm will take the feature with the highest importance instead of randomness. The maximum feature for our model is **'sqrt'** which means sqrt(n\_features) where n\_features is the number of features when the model fit is performed.

```
#Parameters for the Decision Tree Model
params = {'criterion': "friedman_mse", 'splitter': "best", 'max_depth': 16, 'max_features': "sqrt"}
#Build the Decession Tree Regressor model
from sklearn.tree import DecisionTreeRegressor
model_lr = DecisionTreeRegressor(**params)
model_lr.fit(x_train,y_train)
#Prediction on the validation data
pred_train_enet=model_lr.predict(x_val)
#Calculate the Mean Squared Error and display the Root Mean Squared Error value
mse=mean_squared_error(y_val,pred_train_enet)
print("Root Mean Squared Error = {}".format(math.sqrt(mse)))
Root Mean Squared Error = 23.739729124856627
```

Figure 7. Python Decision Tree algorithm

### **Random Forest**

After the decision tree model is developed, we can extend that tree and build a series of decision trees, which is called a Random Forest model. The random forest algorithm creates random samples of the data, and then the algorithm creates a separate tree for each sample. Finally, the model prediction is created by taking the average of each tree to improve model accuracy and control over-fitting.

Parameter Name	Description
N_Estimators	The number of trees in the forest.
Criterion	The function to measure the quality of a split. Supported criteria are "mse" for the mean squared error, which is equal to variance reduction as feature selection criterion, and "mae" for the mean absolute error.
Max_Depth	The maximum depth of the tree.

The following table illustrates the basic parameters for the Random Forest algorithm.

Min_Samples_Split	The minimum number of samples required to split an internal node.
Min_Samples_Leaf	The minimum number of samples required to be at a leaf node.

#### Table 4. Basic parameters for Random Forest algorithm

The following parameters were utilized for the random forest algorithm:

- Maximum depth of the tree equal to 20.
- Minimum samples required to split at any leaf equal to 5.
- Total number of trees in the forest is 100.
- All other parameters are set to default.

```
#Parameters for the Random Forest Regressor Model
params = {'n_estimators': 100, 'max_depth': 20, 'min_samples_leaf': 5}
#Build the Random forest Regressor model
from sklearn.ensemble import RandomForestRegressor
model_lr = RandomForestRegressor(**params)
model_lr.fit(x_train,y_train)
#Prediction on the validation data
pred_train_enet=model_lr.predict(x_val)
#Calculate the Mean Squared Error and display the Root Mean Squared Error value
mse=mean_squared_error(y_val,pred_train_enet)
print("Root Mean Squared Error = {}".format(math.sqrt(mse)))
Root Mean Squared Error = 14.567331985702683
```

#### Figure 8. Python Random Forest algorithm

Now that four Python models have been developed, it makes sense to compare them and select a champion. The random forest algorithm was deemed to be the champion model based on the Root Mean Square Error (RMSE), which provided the smallest value across the four models.

#### **INCORPORATE PYTHON MODELS WITHIN SAS VDMML PIPELINE**

We will now shift our focus to a state-of-the-art data mining & machine learning environment – SAS® VDMML. This platform resides on VIYA, which is a cloud-enabled, inmemory analytics engine that provides a dynamic, automated, and scalable insights, leading to actionable business results. Before we begin incorporating Python and SAS® VDMML, we need to discuss the metadata for the business problem outlined earlier. If you recall, the business challenge is to establish the causal factors that drives the shipping expense for each package shipment across the logistics transportation network. There are three basic layers of the metadata that needs to be assigned:

- Target This is what we are trying to predict (Y or Response) in our example it is Shipping\_Expense
- Inputs These are the independent factors (X's) which includes attributes around external information like weather and financial data, as well as internal information related to the logistics organization. This is referenced in Figure 1 in the paper earlier.
- Rejected These are factors that will not be used in the analysis, as they are either not related to the business problem or are highly influential to the Target.

Next, we will introduce the concept of a pipeline, where the data mining & machine learning will be executed. Since we must compare Python & SAS models, there are 8 total algorithms that will be assessed. Therefore, two pipelines were created for ease of use. Let us discuss the first pipeline. Before, we start applying the models, it is a best practice to explore the data. There are some analytical preparation tasks that are usually done prior to model development. For example, inspection for variable skewness, which indicates the need for possible transformations; another task is inspection for missing data, which indicates the need for possible imputations. In our analysis, there was no need to apply any transformations or imputations to the data.

In the first pipeline, we will discuss Linear Regression & Decision Tree models for Python & SAS. To include the SAS models, you select Supervised Learning Models from the Data node. Then, you select Linear Regression & Decision Tree models, respectively. There are several options to select for each model setting. We will review some basic ones. For Linear Regression, there are three options utilized:

- Stepwise This uses a hybrid approach of forward and backward selection, which has been proven to be powerful in establishing significant factors driving the response (Shipping\_Expense).
- Adjusted R-Square This is the statistic utilized to select the final subset of factors, which accounts for the factors introduced in the model, and measures the amount of true variability being explained with respect to the Target.
- Model interpretability using variable importance This illustrates the final set of factors ordered from the most to least significant in predicting the Target.

Now, we will discuss the Python models for the first pipeline. To include open-source code within the pipeline, you need to select "Add child node" >> "Miscellaneous" >> "Open-Source Code". The next step is to choose what type of open-source code is desired. In our example, we will select Python. Please make sure to select the "Use output data in child nodes" option, otherwise, the data will not be passed to any other following nodes in the pipeline, such as scoring, if that is desired. By default, this option is not selected.

» Python Linear Regression の 愿 ⑦	
Description:	
Runs Python or R code.	] 🛈
Open Code Editor	
Language:	_
Python •	
✓ Input to Open Source	
> Data Sample	
Drop rejected variables	
🗹 Generate data frame	
Use output data in child nodes	
Use the exact percentile method for lift calculations	

**Figure 9. Python Node Properties** 

The final step is to insert the Python Linear Regression model, which we have developed in the previous section, by clicking on the Open Code Editor button. Before we use the Python code, let us review some of the key terms that will be used within the Python open-source code.

- dm\_input The list which represents the input variables (interval and categorical).
- dm\_partitionvar The String variable, identifies the name of the data partition. Values can be 1, 0 and 2 for training, validation, and test, respectively.
- dm\_partition\_train\_val This variable contains the value of the data partition for training set. The value is 1.
- dm\_inputdf This is a data frame which represents sample input data observations.
- dm\_dec\_target This is the target variable in this case 'Shipping\_Expense'
- dm\_traindf This is a data frame which holds a sample training data.
- dm\_nodedir This variable contains node's working directory.

All these variables are set by SAS VDMML based on the data and selection options we chose. We fit the model based on the training partition data. This has been accomplished by adding the 'fullX\_enc[dm\_partitionvar] == dm\_partition\_train\_val' code. If desired to use the validation data instead for the model, then the code can be replaced by 'fullX\_enc[dm\_partitionvar] == dm\_partition\_valid\_val'. Finally, the model predicted the average 'Shipping Expense' on the complete input data.

We have used the same parameters and algorithms that we have used in native Python to build the model. All the Python code from SAS VDMML will be passed to the Python environment and executed from there, and the result returned to SAS VDMML to display the variable importance, plots, files, and any of the result tables.

When the output results or files created are stored in the **'dm\_nodedir'** location, then those fields can be displayed in the result pane. We are displaying the variable importance files to the result window.

so	F2021_Shipping_CostModel > <b>Pyth</b>	ion Linear Regression							
Ŧ	Python Variables								
		1							
	₽ Filter	2 import sys							
		3 #Linear Regression by Elasticnet							
	dm class input	4 from sklearn.linear_model import ElasticNet							
		5							
	dm_classtarget_intovar	6 #Partition The Data							
	dm_classtarget_level	7 dm_input.insert(0, dm_partitionvar)							
	dm dec target	<pre>8 fullX = dm_inputdf.loc[:, dm_input]</pre>							
		<pre>9 fullX_enc = pd.get_dummies(fullX, columns=dm_class_input, drop_first=True)</pre>							
	dm_input	10 X_enc = fullX_enc[fullX_enc[dm_partitionvar] == dm_partition_train_val]							
	dm_inputdf	11 X_enc = X_enc.drop(dm_partitionvar, 1)							
	dm interval input	12 y = dm_traindt[dm_dec_target]							
	din_interval_input	15 14 #Build the Medel							
	dm_model	14 #bill the model							
	dm_nodedir	15 dm_model = Lissifier()							
	dm partition train val	17 print (am model)							
	dif_partition_train_var								
	dm_partitionvar	19 #Display the Variable Importance							
	dm_predictionvar	20 varimp = pd.DataFrame(list(zip(X enc, dm model.coef )), columns=['Variable Name', 'Importance'])							
	dm_scoreddf	<pre>21 varimp.to_csv(dm_nodedir + '/rpt_var_imp.csv', index=False)</pre>							
	dm traindf	22							
	un_ranu	23 fullX_enc = fullX_enc.drop(dm_partitionvar, 1)							
	node_data.csv	24 #Prediction On The Validation Data							
	node_scored.csv	<pre>25 dm_scoreddf = pd.DataFrame(dm_model.predict(fullX_enc), columns=['P_shipping_expense'])</pre>							

The following is the Python Linear Regression model code.

#### Figure 10. Python Linear Regression Model Code in SAS VDMML

Now, we are ready to discuss the SAS Decision Tree model. There are some basic options utilized:

- Splitting The default settings are fine; however, the Minimum Leaf Size is set to 30 instead of 5, which allows for the smallest number of training observations that a leaf can have. This value is a recommended best practice to ensure enough data exists for the splitting process.
- Pruning The default settings are fine.
- Model interpretability using variable importance This illustrates the final set of factors ordered from the most to least significant in predicting the Target.

Next, we will add another open-source node for the Python Decision Tree model, similarly to the Python Linear Regression model discussed previously in this section. The following figure is the Python Decision Tree model with all the same parameters that have been used in native Python. Also, the partition logic for the decision tree model uses the same code as the Linear Regression model open-source code.

SC	F2021_Shipping_CostModel > <b>* Pyth</b>	ion Decision Tree						
Ŧ	Python Variables							
	Ø Filter	1 2 #Decision Tree Model						
	dm class input	3 from sklearn.tree import DecisionTreeRegressor 4						
	dm_classtarget_intevar	5 #Partition The Data						
	dra_classtarget_intovar	6 dm_input.insert(0, dm_partitionvar) 7 fullX = dm inputdf.loc[:. dm input]						
	dm_classtarget_level	8 fullX_enc = pd.get_dummies(fullX, columns=dm_class_input, drop_first=True)						
	dm_dec_target	<pre>9 X_enc = fullX_enc[fullX_enc[dm_partitionvar] == dm_partition_train_val]</pre>						
	dm_input	10 X_enc = X_enc.drop(dm_partitionvar, 1)						
	dm_inputdf	11 y = dm_traindt[dm_dec_target] 12						
	dm_interval_input	13 #Build the Model						
	dm_model	<pre>14 params = {'criterion': "friedman_mse", 'splitter': "best", 'max_depth': 16, 'max_features': "sqrt"}</pre>						
	dm_nodedir dm_partition_train_val	15 dm_model = DecisionTreeRegressor(**params) 16 dm_model.fit(X_encv)						
		17 print(dm_model)						
	dm_partitionvar	18 19 #Display the Vaniable Importance						
	dm_predictionvar	<pre>varimp = pd.DataFrame(list(zip(X_enc, dm_model.feature_importances_)), columns=['Variable Name', 'Importance'])</pre>						
	dm_scoreddf	<pre>21 varimp.to_csv(dm_nodedir + '/rpt_var_imp.csv', index=False) 22</pre>						
	dm_traindf	22 23 fullX enc = fullX enc.drop(dm partitionvar, 1)						
	node_data.csv	24 #Predict On the Validation Data						
	node_scored.csv	<pre>25 dm_scoreddf = pd.DataFrame(dm_model.predict(fullX_enc), columns=['P_shipping_expense'])</pre>						

Figure 11. Python Decision Tree Model Code in SAS VDMML



The following figure illustrates the finished Pipeline 1 diagram.

Figure 12. SAS® VDMML Pipeline 1

After Pipeline 1 has been run, the model comparison node displays that SAS VDMML Linear Regression is the wining model with 18.27 for the Root Average Squared Error (RASE). The champion model was selected due to having the lowest value for RASE. Although there are many options to choose for model comparison, best practice suggests using the RASE, as it is an absolute measure of fit. It is a good measure of how accurately the model predicts the response (Shipping\_Expense), and it is the most important criterion for fit if the main purpose of the model is prediction.

SGF2021_Shipping_CostModel → *Model Comparison* Results										
Node Assessment	Node Assessment									
Model Comparison										
Champion	Name	Algorithm Name	Average Squared Error	Root Average Squared Error						
	Linear Regression	Linear Regression	333.8898	18.2727						
	Python Linear Regression	Open Source Code	412.7342	20.3159						
	Python Decision Tree	Open Source Code	715.2395	26.7440						
	Decision Tree	Decision Tree	835.3924	28.9032						

Figure 13. SAS® VDMML Pipeline 1 Model Comparison

Let us now proceed to Pipeline 2. In the second pipeline, we will discuss Neural Network & Random Forest models for Python & SAS. To include the SAS models, you select Supervised Learning Models from the Data node. Then, you select Neural Network & Random Forest models, respectively. There are several options to select for each model setting. We will review some basic ones. For the Neural Network model, we will use the default settings with one minor change: Model interpretability using variable importance – This illustrates the final set of factors ordered from the most to least significant in predicting the Target.

Next, we will add another open-source node for the Python Neural Network model, similarly to the other Python models already discussed in the previous section. The following figure is the Python Neural Network model code with all the same parameters that have been used in native Python. Also, the partition logic for the Neural Network model uses the same code as for the previous Python code.

F2021_Shipping_CostModel > * P	thon Neural Network					
Python Variables						
₽ Filter	1 2 import sys					
dm_class_input	3 #Nural Network-MLPRegressor 4 from sklearn.neural_network import MLPRegressor					
dm_classtarget_intovar	6 #Partition The Data					
dm_classtarget_level	7 dm_input.insert(0, dm_partitionvar)					
dm_dec_target	8 tullX = dm_anputdt.loc[:, dm_input] 9 fullX enc = nd.wet dummise(fullX. columns=dm_class input. drop first=True)					
dm_input	<pre>10 X_enc = fullX_enc[fullX_enc[dm_partitionvar] == dm_partition_train_val]</pre>					
dm_inputdf	<pre>11 X_enc = X_enc.drop(dm_partitionvar, 1) 12</pre>					
dm_interval_input	12 y = um_trainoi(um_uec_target) 13					
dm_model	14 #Build the Model					
dm_nodedir	15 params = { 'hidden_layer_sizes': (30,30,30), 'activation': 'relu', 'solver': 'lbfgs', 'max_iter': 500} 16 dm model = MLPBergesson'#*naprams)					
dm_partition_train_val	17 dm_model.fit(X_enc, y)					
dm_partitionvar	18 print(dm_model)					
dm_predictionvar	20 #Prediction On The Validation Data					
dm_scoreddf	21 fullX_enc = fullX_enc.drop(dm_partitionvar, 1)					
dm_traindf	<pre>22 dm_scoreddf = pd.DataFrame(dm_model.predict(fullX_enc), columns=['P_shipping_expense'])</pre>					
node_data.csv						

Figure 14. Python Neural Network Model Code in SAS VDMML

Now, we are ready to discuss the SAS Random Forest model. The default settings including building 100 trees within the forest and one minor change: Model interpretability using variable importance – This illustrates the final set of factors ordered from the most to least significant in predicting the Target.

Next, we will add another open-source node for the Python Random Forest model, similarly to the other Python models already discussed in the previous section. The following figure is the Python Random Forest model code with all the same parameters that have been used in native Python. Also, the partition logic for the Random Forest model uses the same code as for the previous Python code.

F2021_Shipping_CostModel → * P	thon Random Forest
Python Variables	● ● ● B P P P P P P P P P P P P P P P P
Python Variables	<pre>1 1 2 import sys 3 #Random Forest Model 4 from sklearn.ensemble import RandomForestRegressor 5 5 #Partition The Data 7 dm_input.insert(0, dm_partitionvar) 8 fullX = dm_inputdf.loc[:, dm_input] 9 fullX_enc = pd.get_dummise(fullX_columns=dm_class_input, drop_first=True) 10 X_enc = fullX_enc[fullX_enc[dm_partitionvar] == dm_partition_train_val] 11 X_enc = x_enc.drop(dm_partitionvar, 1) 12 y = dm_traindf[dm_dec_target] 13 14 #Build the Model 15 params = ('n_estimators': 100, 'max_depth': 20, 'min_samples_leaf': 5} 16 dm_model = RandomForestRegressor(**params) 17 dm_model.fit(X_enc, y) 18 print(dm_model) 20 #Display the Variable Importance 21 variams = dotatafme(list(zip(X_enc, dm_model.feature_importances_)), columns=['Variable Name', 'Importance']) 22 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 24 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 25 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 26 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 27 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 28 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 29 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 20 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 20 variams = dotatafme(list(zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 20 variams = dotatafme(list(Zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'Importance']) 21 variams = dotatafme(list(Zip(X_enc, 'max_depth': 20, 'min_samples_)), columns=['Variable Name', 'max_depth'] 22 variams = dotatafme(list(Zip(X</pre>
node_data.csv	23 24 #Prediction On The Validation Data
node_scored.csv	<pre>25 fullX_enc = fullX_enc.drop(dm_partitionvar, 1) 26 dm_scoreddf = pd.DataFrame(dm_model.predict(fullX_enc), columns=['P_shipping_expense'])</pre>

#### Figure 15. Python Random Forest Model Code in SAS VDMML

The following figure illustrates the finished Pipeline 2 diagram.



Figure 16. SAS® VDMML Pipeline 2

After Pipeline 2 has been run, the model comparison node displays that the Python Random Forest is the winning model with approximately 17.3 for the Root Average Squared Error (RMSE). The champion model was selected due to having the lowest value for RMSE. This analysis resembles the same conclusion that we have seen in the previous section that the Python Random Forest model was the champion.

SGF2021_Shipping_CostModel > "Model Comparison" Results								
Node Assessment								
Model Comparison								
Champion	Champion Name		Average Squared Error	Root Average Squared Error				
	Python Forest	Open Source Code	297.8433	17.2581				
	Python Neural Network	Open Source Code	580.6186	24.0960				
	Forest	Forest	928.6298	30.4734				
	Neural Network	Neural Network	8,309.5219	91.1566				

Figure 17. SAS® VDMML Pipeline 2 Model Comparison

Now, we need to compare all models across both pipelines. Based on the Average Squared Error (ASE), it is evident that the final champion model has been deemed to be the Python Random Forest model, which has the lowest ASE value.

Image: solution of the solut								
р Fi	Defilter Data: Validate • O Compare :							
	Champion $\downarrow$	Name	Algorithm Name	Pipeline Name	Average Squared Error	Sum of Frequencie 🕴		
		Python Forest	Open Source Code	Pipeline 2	297.843	43,903		
		Linear Regression	Linear Regression	Pipeline 1	333.890	43,903		

#### Figure 18. SAS® VDMML Overall Pipeline Model Comparison

Finally, it is important to assess what the significant factors are from the champion model as it pertains to driving the shipping expense for the transportation logistics organization. The figure below illustrates the factors. For example, the most important variable is the fuel expense, which makes sense since the package shipments are delivered by vehicles. Other important factors include the product (type of shipment), delivery time in days, shipper name (customer), average number of items for each package shipment, etc. It is interesting to note that all the important factors related to internal data elements.



**Figure 19. SAS® VDMML Overall Model Champion – Python Random Forest Significant Factors Driving Shipping Expense** 

## **MODEL DEPLOYMENT – SCORING PROSPECT FILE USING CHAMPION MODEL**

In this section, the focus will shift to applying the champion model to score a new prospect file to predict the average shipping expense for each package shipment. If you recall, the overall champion model was deemed to be the Python Random Forest model from Pipeline 2. The next step is to include a Score Data Node to Pipeline 2 underneath the champion model.



Figure 20. SAS® VDMML Model Deployment Via Scoring

An important aspect in the model scoring & deployment process is to carefully assess how accurate the model's predictions are. In this example, the predictions were compared to actual shipping expenses for new prospects across the transportation network hierarchy.

State	Sales Segment	Shipper Name	Product	Sub Product	Items	Volume	Fuel Expense 🔺	Delivery Time (Days)	Shipping Expense	Predicted Shipping Expense
California	Small/Medium Business	Nautlius SportsWear Inc	3 Day Select	Residential Pick Up/D	11	3.76	\$2.14	3	\$22.85	\$22.95
Georgia	Small/Medium Business	AllSeasons Outdoor Clothing	3 Day Select	Do Not Stack	40	1.85	\$2.14	3	\$18.22	\$22.27
Indiana	Amazon	3Top Sports	Surepost	Do Not Stack	9	19.15	\$2.14	0	\$24.86	\$24.78
Washington	Small/Medium Business	Mayday Inc	Ground Residential	Do Not Stack	10	4.52	\$2.14	0	\$22.47	\$23.44
Wisconsin	Small/Medium Business	Luna sastreria S.A.	3 Day Select	None	9	12.27	\$2.14	3	\$22.10	\$23.04
Michigan	Enterprise Accounts	Top Sports	Ground Commercial	None	24	37.32	\$2.14	0	\$22.94	\$23.36
South Carolina	Enterprise Accounts	AllSeasons Outdoor Clothing	Hundredweight (CWT)	Notifications	33	135.35	\$2.14	0	\$25.59	\$31.44
Michigan	Small/Medium Business	A Team Sports	Ground Commercial	Lift Gate	18	42.69	\$2.14	0	\$26.40	\$24.33
California	Small/Medium Business	SD Sporting Goods Inc	Surepost	Weekend Delivery	18	3.27	\$2.14	3	\$23.25	\$22.74
lowa	Enterprise Accounts	Fuller Trading Co.	3 Day Select	None	8	16.45	\$2.14	3	\$28.99	\$28.50
Indiana	Small/Medium Business	Luna sastreria S.A.	Ground Residential	Notifications	7	0.50	\$2.15	0	\$24.31	\$26.42
Arizona	Enterprise Accounts	AllSeasons Outdoor Clothing	Ground Commercial	None	10	29.77	\$2.15	0	\$35.11	\$24.77
Washington	Enterprise Accounts	Eclipse Inc	Ground Commercial	None	14	5.30	\$2.15	0	\$24.98	\$25.70
New Jersey	Enterprise Accounts	Eclipse Inc	Ground Commercial	Weekend Delivery	8	5.41	\$2.15	0	\$24.69	\$25.88
New Mexico	Small/Medium Business	Miller Trading Inc	3 Day Select	Do Not Stack	16	75.79	\$2.15	3	\$26.49	\$26.27
Ohio	Small/Medium Business	Mike Schaeffer Inc	Hundredweight (CWT)	Lift Gate	27	216.89	\$2.15	0	\$9.53	\$23.93
Washington	Enterprise Accounts	Fuller Trading Co.	Ground Commercial	Do Not Stack	8	7.51	\$2.15	0	\$29.15	\$25.98
Florida	Small/Medium Business	SD Sporting Goods Inc	Ground Commercial	Do Not Stack	18	60.13	\$2.15	6	\$25.37	\$24.72
Ohio	Small/Medium Business	Nautlius SportsWear Inc	3 Day Select	Lift Gate	10	3.60	\$2.16	3	\$20.53	\$22.64
Texas	Small/Medium Business	Luna sastreria S.A.	Ground Commercial	Limited Access	18	75.94	\$2.16	0	\$22.47	\$23.99
New York	Small/Medium Business	British Sports Ltd	Ground Commercial	Limited Access	22	65.21	\$2.16	0	\$28.07	\$27.05
North Carolina	Small/Medium Business	Green Lime Sports Inc	Ground Residential	None	10	8.69	\$2.16	0	\$22.79	\$22.36
Pennsylvania	Amazon	3Top Sports	3 Day Select	Lift Gate	10	3.92	\$2.16	3	\$22.05	\$23.66
Massachusetts	Small/Medium Business	Dolphin Sportswear Inc	3 Day Select	Do Not Stack	18	95.54	\$2.16	3	\$21.85	\$24.48
Kansas	Amazon	3Top Sports	Ground Residential	Limited Access	22	48.49	\$2.16	0	\$27.26	\$27.27
Utah	Small/Medium Business	Nautlius SportsWear Inc	Surepost	Do Not Stack	10	11.53	\$2.16	5	\$22.30	\$25.03
Maryland	Small/Medium Business	CrystalClear Optics Inc	Surepost	Weekend Delivery	9	16.12	\$2.16	1	\$22.37	\$23.06
Illinois	Small/Medium Business	Scandinavian Clothing A/S	Surepost	Weekend Delivery	9	15.26	\$2.16	1	\$23.21	\$26.30
Georgia	Small/Medium Business	Van Dammeren International	Ground Commercial	None	8	18.70	\$2.16	0	\$27.94	\$23.53

Figure 21. SAS® VDMML Model Scoring – Actual VS. Predicted Shipping Expense

The figure above illustrates the model's prediction is very close to the actual values of shipping expense. For a better visualization of this, let us view the graphs below.



Figure 22A. Model Scoring Visualization – Actual VS. Predicted Shipping Expense

The above visualization illustrates a slice of the complete scoring data within the transportation network hierarchy. For example, we selected the state of **North Carolina**, the sales segment of **Enterprise Accounts**. You can observe for the various customers, the actual and predicted shipping expense values are very close. We can further dive deeper into the hierarchy and observe a specific customer, illustrated in the following figure.



#### Figure 22B. Model Scoring Visualization – Actual VS. Predicted Shipping Expense

The figure above illustrates the specific customer of **"Eclipse Inc"** across the various product types used for the package shipments. Again, observe the actual and predicted shipping expense values are extremely close. The two preceding illustrations clearly show the very good accuracy of the model.

## **CONCLUSION – SUMMARY & RECOMMENDATIONS**

In this paper, we have outlined a shipping organization's critical need to determine the causal factors for the cost of package shipments across the transportation network. Especially during this Covid disrupted world, being proactive instead of reactive towards pricing package shipments has become a necessary analytic endeavor. Understanding these significant causal factors helps the company to establish pricing for their customers to become more profitable and brings business value in terms of scenario analysis and dynamic pricing.

Furthermore, assessing specific characteristics of these factors and how they affect the shipping expense fluctuation (+/-), has proven to be extremely valuable to the organization.

Integrating open-source models using Python, within a next generation data mining & machine learning environment, allowed for a very comprehensive analysis to address the critical business need. The transportation shipping industry can be rather complex within the network, so the need to have state of the art analytics, leaving no stone unturned, has provided actionable business results.

Furthermore, it is a best practice to always revisit the data elements to assess if other possible factors can be introduced to enhance the modeling process. Therefore, it would be a good exercise to investigate if other data attributes can be captured relevant to package shipments.

Finally, another valuable exercise would be to inject the shipping expense causal factors from the champion ML & AI model revealed in this discussion into a time series forecast – projecting the shipping expense for a specific time in the future. From a best practice perspective, this has proven to substantially increase the forecast accuracy!

# REFERENCES

Python Open-source Model guide. Available at <u>https://scikit-learn.org/stable/</u>

SAS Developer Home page for all integration with Open source. Available at <u>https://developer.sas.com/home.html</u>.

Jagruti Kanjia and Dominique Latour, Jesse Luebbert (2020). "Using Python with Model Studio for SAS® Visual Data Mining and Machine Learning." In Proceedings of the SAS Global Forum 2020 Conference. Cary, NC: SAS Institute Inc. Available at <u>https://www.sas.com/content/dam/SAS/support/en/sas-global-forum-proceedings/2020/4384-2020.pdf.</u>

June 2020. SAS<sup>®</sup> Visual Data Mining and Machine Learning 8.5: User's Guide SAS Institute Inc., NC.

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## **APPENDIX**

```
import sys
#Linear Regression by Elasticnet
from sklearn.linear_model import ElasticNet
#Partition The Data
dm_input.insert(0, dm_partitionvar)
fullX = dm_inputdf.loc[:, dm_input]
fullX_enc = pd.get_dummies(fullX, columns=dm_class_input, drop_first=True)
X_enc = fullX_enc[fullX_enc[dm_partitionvar] == dm_partition_train_val]
X_enc = X_enc.drop(dm_partitionvar, 1)
y = dm_traindf[dm_dec_target]
#Build the Model
dm model = ElasticNet()
dm_model.fit(X_enc, y)
print(dm_model)
#Display the Variable Importance
varimp = pd.DataFrame(list(zip(X_enc, dm_model.coef_)), columns=['Variable Name',
'Importance'])
varimp.to_csv(dm_nodedir + '/rpt_var_imp.csv', index=False)
fullX enc = fullX enc.drop(dm partitionvar, 1)
#Prediction On The Validation Data
dm_scoreddf = pd.DataFrame(dm_model.predict(fullX_enc),
columns=['P_shipping_expense'])
```

#### Figure 10. Python Linear Regression Model Code in SAS VDMML

#Decision Tree Model from sklearn.tree import DecisionTreeRegressor **#Partition The Data** dm input.insert(0, dm partitionvar) fullX = dm inputdf.loc[:, dm input] fullX\_enc = pd.get\_dummies(fullX, columns=dm\_class\_input, drop\_first=True) X\_enc = fullX\_enc[fullX\_enc[dm\_partitionvar] == dm\_partition\_train\_val] X\_enc = X\_enc.drop(dm\_partitionvar, 1) y = dm traindf[dm dec target] #Build The Model params = {'criterion': "friedman\_mse", 'splitter': "best", 'max\_depth': 16, 'max\_features': "sqrt"} dm model = DecisionTreeRegressor(\*\*params) dm\_model.fit(X\_enc, y) print(dm\_model) #Display the Variable Importance varimp = pd.DataFrame(list(zip(X\_enc, dm\_model.feature\_importances\_)), columns=['Variable Name', 'Importance']) varimp.to\_csv(dm\_nodedir + '/rpt\_var\_imp.csv', index=False) fullX enc = fullX enc.drop(dm partitionvar, 1) **#Predict On the Validation Data** dm\_scoreddf = pd.DataFrame(dm\_model.predict(fullX\_enc), columns=['P\_shipping\_expense'])

Figure 11. Python Decision Tree Model Code in SAS VDMML

import sys **#Neural Network-MLPRegressor** from sklearn.neural network import MLPRegressor **#Partition The Data** dm\_input.insert(0, dm\_partitionvar) fullX = dm inputdf.loc[:, dm input] fullX enc = pd.qet dummies(fullX, columns=dm class input, drop first=True) X\_enc = fullX\_enc[fullX\_enc[dm\_partitionvar] == dm\_partition\_train\_val]  $X_enc = X_enc.drop(dm_partitionvar, 1)$ y = dm traindf[dm dec target] #Build The Model params = {'hidden\_layer\_sizes': (30,30,30), 'activation': 'relu', 'solver': 'lbfgs', 'max\_iter': 500} dm\_model = MLPRegressor(\*\*params) dm model.fit(X enc, y) print(dm model) #Prediction On the Validation Data fullX enc = fullX enc.drop(dm partitionvar, 1)dm scoreddf = pd.DataFrame(dm model.predict(fullX enc), columns=['P shipping expense'])

#### Figure 14. Python Neural Network Model Code in SAS VDMML

```
import sys
#Random Forest Model
from sklearn.ensemble import RandomForestRegressor
#Partition The Data
dm_input.insert(0, dm_partitionvar)
fullX = dm_inputdf.loc[:, dm_input]
fullX enc = pd.get dummies(fullX, columns=dm class input, drop first=True)
X enc = fullX enc[fullX enc[dm partitionvar] == dm partition train val]
X_enc = X_enc.drop(dm_partitionvar, 1)
y = dm_traindf[dm_dec_target]
#Build the Model
params = {'n_estimators': 100, 'max_depth': 20, 'min_samples_leaf': 5}
dm_model = RandomForestRegressor(**params)
dm_model.fit(X_enc, y)
print(dm_model)
#Prediction On the Validation Data
fullX_enc = fullX_enc.drop(dm_partitionvar, 1)
dm_scoreddf = pd.DataFrame(dm_model.predict(fullX_enc),
columns=['P shipping expense'])
```

Figure 15. Python Random Forest Model Code in SAS VDMML